

# Racket Basics

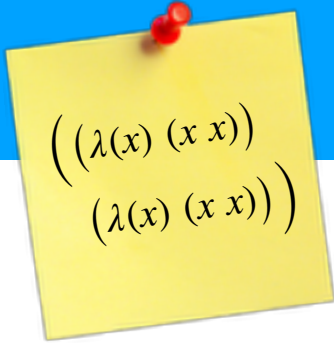
CIS 352 — Spring 2020  
Syracuse University



# Racket

- **Dynamically typed:** variables are untyped, values typed
- **Functional:** Racket emphasizes functional style
  - Compositional—emphasizes black-box components
  - Immutability—requires automatic memory management
- **Imperative:** Racket allows data to be modified, in carefully considered cases, but doesn't emphasize "impure" code
- **Object-oriented:** racket has a powerful object system
- **Language-oriented:** Racket is really a language toolkit
- **Homoiconic:** Code is data; the primary data structure of Scheme, and LISP-family languages, is the *linked list*, written as **s-expressions**, & Scheme code is explicitly written as lists.

## Example

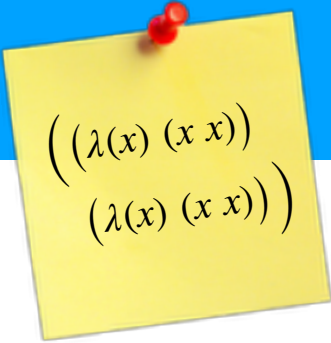


$((\lambda(x) (x\ x))$   
 $(\lambda(x) (x\ x)))$

Calculating the slope of a line in Racket

```
(define (calculate-slope x0 y0 x1 y1)
  (/ (- y1 y0) (- x1 x0)))
```

# Example



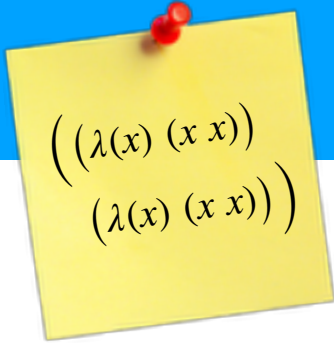
$((\lambda(x) (x x))$   
 $(\lambda(x) (x x)))$

```
(define (calculate-slope x0 y0 x1 y1)
  (/ (- y1 y0) (- x1 x0)))
```

Prefix notation



# Example



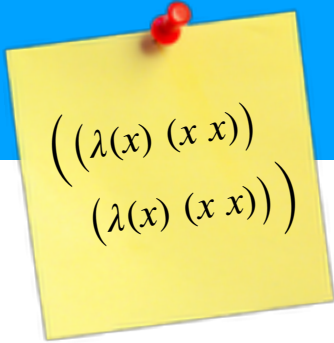
$((\lambda(x) (x\ x))$   
 $(\lambda(x) (x\ x)))$

Functions defined via prefix notation, too



```
(define (calculate-slope x0 y0 x1 y1)
  (/ (- y1 y0) (- x1 x0)))
```

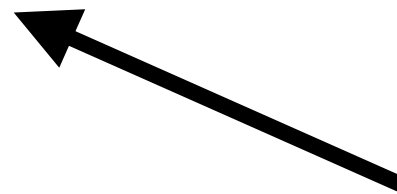
# Example



$((\lambda(x) (x\ x))$   
 $(\lambda(x) (x\ x)))$

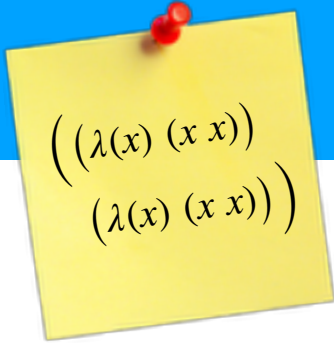
```
(define (calculate-slope x0 y0 x1 y1)
  (/ (- y1 y0) (- x1 x0)))
```

```
(calculate-slope 0 0 3 2)
```



Calls to user-defined functions also in prefix notation

# Example



$((\lambda(x) (x x))$   
 $(\lambda(x) (x x)))$

```
(define (calculuate-slope x0 y0 x1 y1)
  (/ (- y1 y0) (- x1 x0)))
```

```
(calculate-slope 0 0 3 2)
```



**Note:** preferred style puts closing parens at end of blocks

# Basic Types

- **Numeric tower.** Numeric types gracefully degrade
  - E.g., `(* (/ 8 3) 2+1i)` is `16/3+8/3i`
  - Note that `2+1i` is a **literal** value, as is `2.3`
- **Strings** and **characters** (`"foo"` and `#\a`)
- **Booleans** (`#t` and `#f`) including logical operator (e.g., `or`)
  - Note that operators "short circuit"
- **Symbols** are interned strings `'foo`
  - Implicitly only one copy of each, unlike (say) strings
- The `#<void>` value (produced by `(void)`)





Compute the sum of the following:

- $2/3$  and  $1.5$
- $3+8i$  and  $3i$
- $0$  and positive infinity (`+inf.0`)



Compute the sum of the following:

- **(+ 2/3 1.5)**  
**2.1666666666666665** (N.B., result is **inexact**)
- **(+ 3+8i 3i)**  
**3+11i**
- **(+ 0 +inf.0)**  
**+inf.0**

# Forms

- A **form** is a recognized syntax in the language
  - `(if ...)`, `(and ...)` are forms, but `+`, `list` refer to functions
  - You can define new forms too! More on this later...
- Scheme prefers to give a small number of general forms.
- The tag just after the open-paren determines the form:
  - `(define foo value)` — Define a variable
  - `(define (foo a0 a1 ...) body)` — Define a function
  - `(if guard e-true e-false)`, `(or e0 e1 ...)`, etc
- Otherwise, by default, each pair of parens is a ***call site***.



Define a function that takes an argument,  $x$ , and returns:

- $x$  times 2, if  $x$  is less than 0
- $x$  times -2 otherwise

**Hint:** use `( < x y )` for comparison



```
(define (f x)
  (if (< x 0)
      (* 2 x)
      (* -2 x)))
```



Define a function that takes an argument,  $x$ , and returns:

- $x$  divided by 2, if  $x$  is even
- $x$  times 3 plus 1, if  $x$  is odd

**Hint:** use `=` and `modulo` to check if  $x$  is even/odd



```
(define (collatz x)
  (if (= 0 (modulo x 2))
      (/ x 2)
      (+ 1 (* 3 x))))
```

# Derived Types

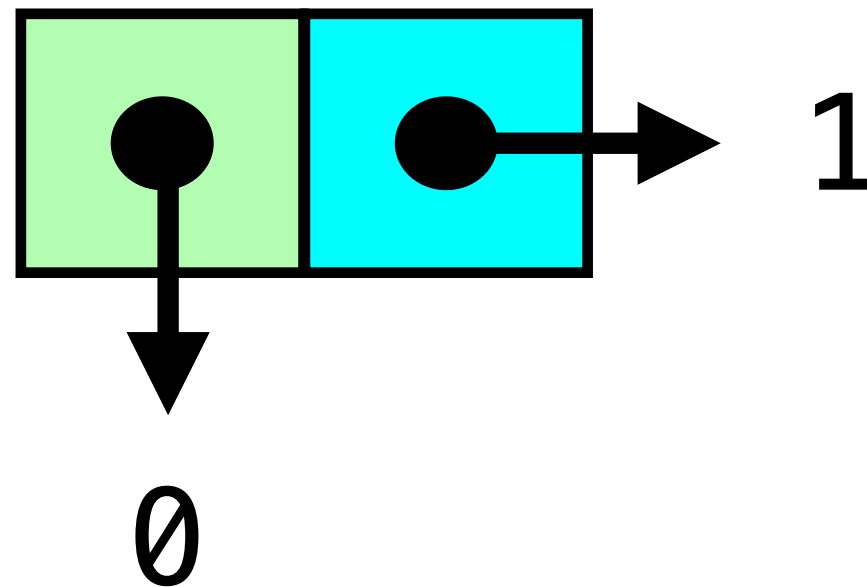
- **S-expressions** (**symbolic** expression)
  - Untyped lists that generalize neatly to trees:  
`(this (is an) s expression)`
- Computer represents these as **linked** structures
  - Cons cells (pairs) of a head and a tail (`cons 1 2`)
- Racket also has **structural** types (defined via structs)
  - Defined via struct; aids robustness
  - We will usually prefer agility of “tagged” S-expressions
- Also an elaborate object-orientation system (we won't cover)



# Example

$((\lambda(x) (x x))$   
 $(\lambda(x) (x x)))$

(cons 0 1)

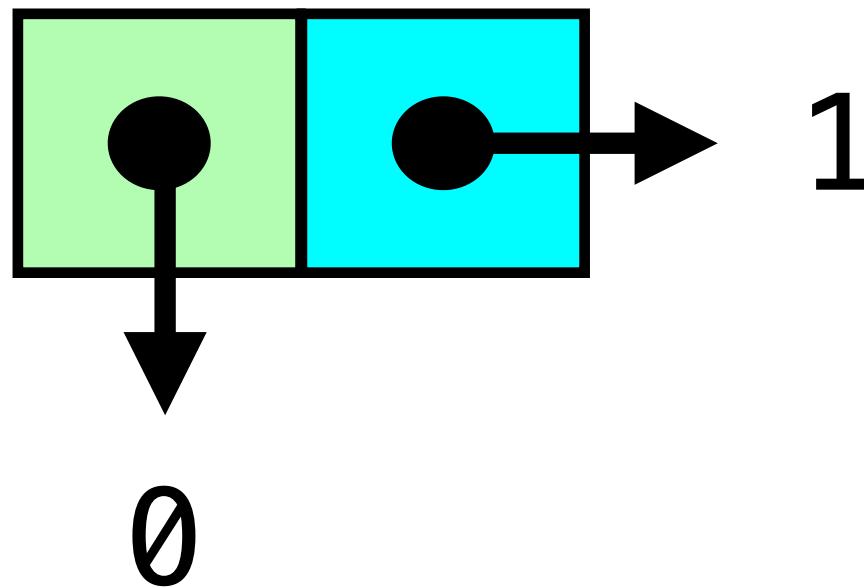


The function **cons** builds a cons cell

# Example

$((\lambda(x) (x x))$   
 $(\lambda(x) (x x)))$

`(car (cons 0 1))` is 0

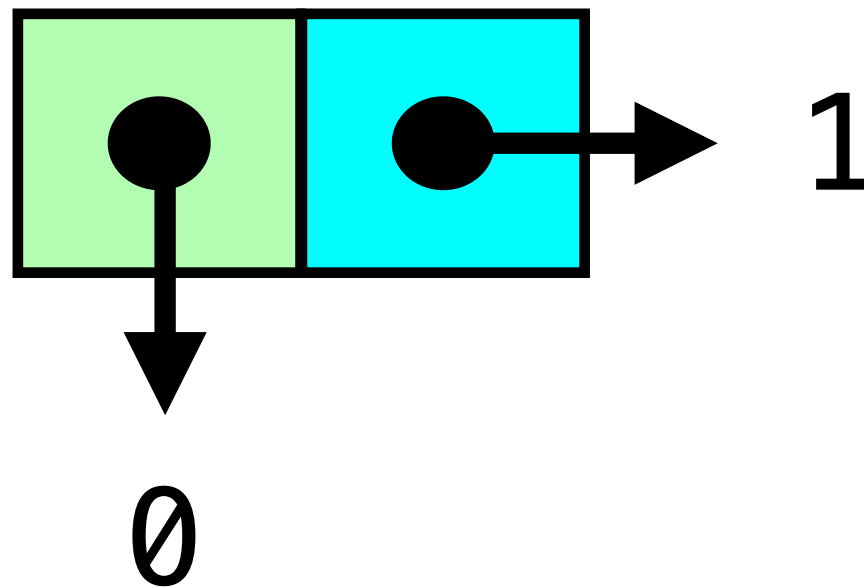


The function **car** gets the left element

# Example

$((\lambda(x) (x x))$   
 $(\lambda(x) (x x)))$

`(cdr (cons 0 1))` is 1



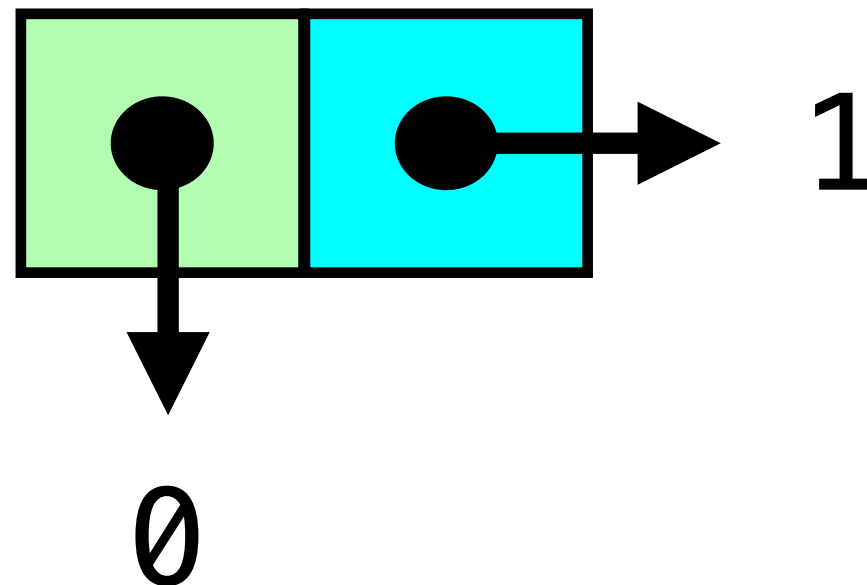
The function **cdr** gets the right element

# Example

$((\lambda(x) (x x))$   
 $(\lambda(x) (x x)))$

(cons 0 1)

0x700000032acd1200

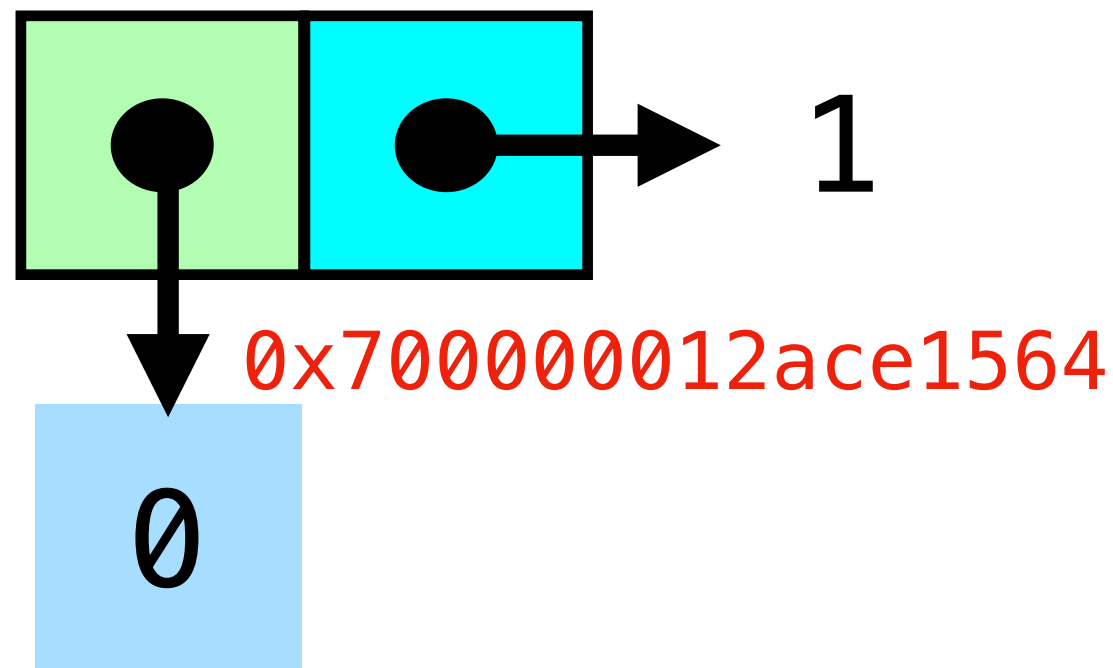


At runtime, each cons cell sits at an **address** in memory

# Example

$((\lambda(x) (x x))$   
 $(\lambda(x) (x x)))$


(cons 0 1)



In fact, numbers are **also** stored in memory locations.  
They are thus said to be a “boxed” type

# Example

$((\lambda(x) (x x))$   
 $(\lambda(x) (x x)))$



```
(define x 23)
(displayln x)
(set! x 24)
(displayln x)
```

Actually, every Racket variable stores a value in some “box” (i.e., memory location)


0x700000033dea2280

x **23**

Prints 23

# Example

$((\lambda(x) (x x))$   
 $(\lambda(x) (x x)))$



```
(define x 23)
(displayln x)
(set! x 24)
(displayln x)
```

Actually, every Racket variable stores a value in some “box” (i.e., memory location)

0x700000033dea2280

x

24

Changes x's value to 24

# Example

$((\lambda(x) (x x))$   
 $(\lambda(x) (x x)))$

```
(define x 23)
(displayln x)
(set! x 24)
→ (displayln x)
```

Actually, every Racket variable stores a value in some “box” (i.e., memory location)

0x700000033dea2280

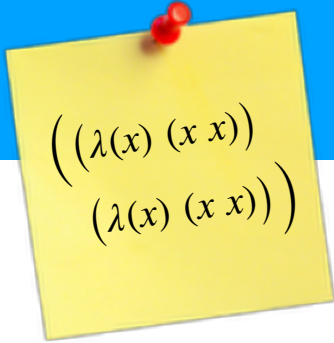
x

24

Now prints 24



# Example



$((\lambda(x) (x x))$   
 $(\lambda(x) (x x)))$

```
(define x (vector 1 2 3))  
(vector-set! x 1 0)  
x  
;; '#(1 0 3)
```

Vectors (similar to arrays) are mutable, and  
give  $O(1)$  indexing and updating

In this class, you will not be allowed to use `set!` or `vector-set!` unless explicitly noted

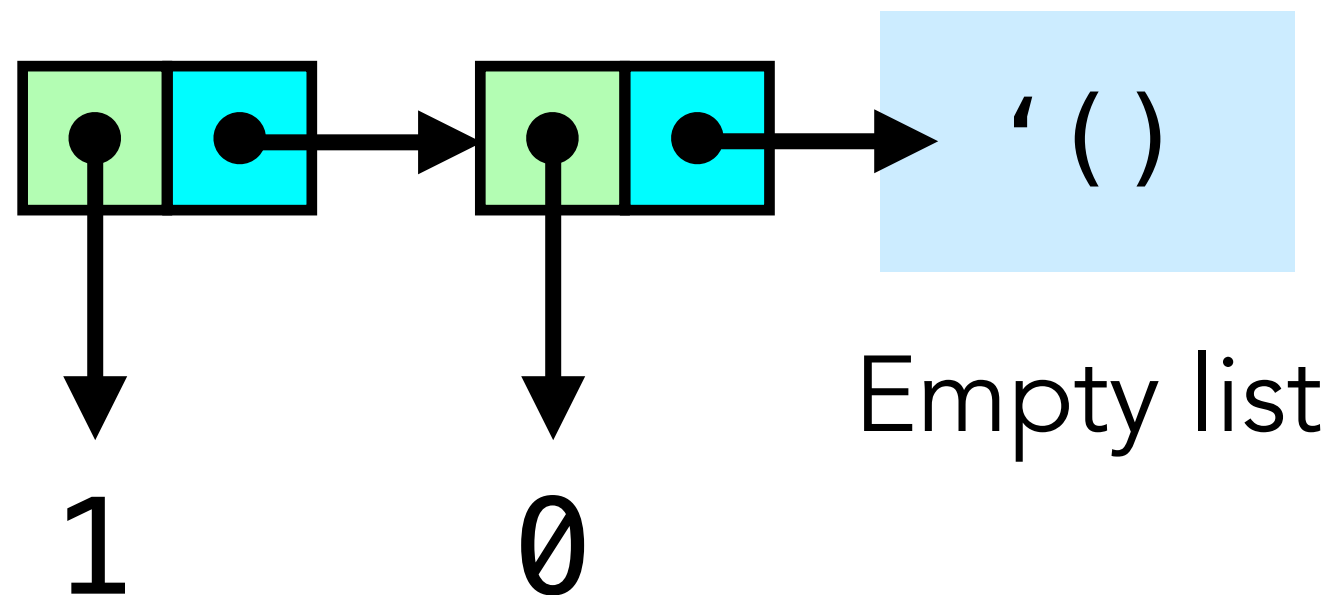
Code that uses `set!` may be denied full credit

## Example

$((\lambda(x) (x x))$   
 $(\lambda(x) (x x)))$

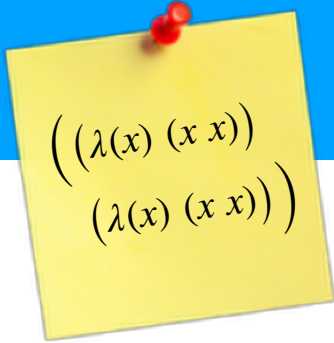
Pairs enable us to build **linked lists** of data

`(cons 1 (cons 0 ' ( )))`



This is how Racket represents lists in memory

## Example



$((\lambda(x) (x x))$   
 $(\lambda(x) (x x)))$

Note that in Racket, the following are equivalent

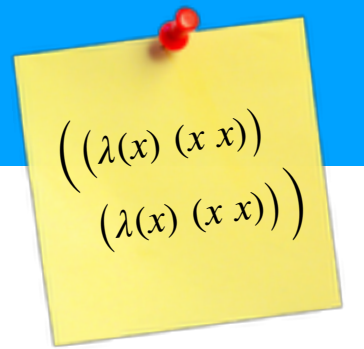
```
(cons 2 (cons 1 (cons 0 '())))  
'(2 1 0)
```

But the following is called an **improper list**

```
(cons 2 (cons 1 0))  
'(2 1 . 0)
```

Dot indicates a cons cell of a left and right element

## Example



Also can build **compound** expressions

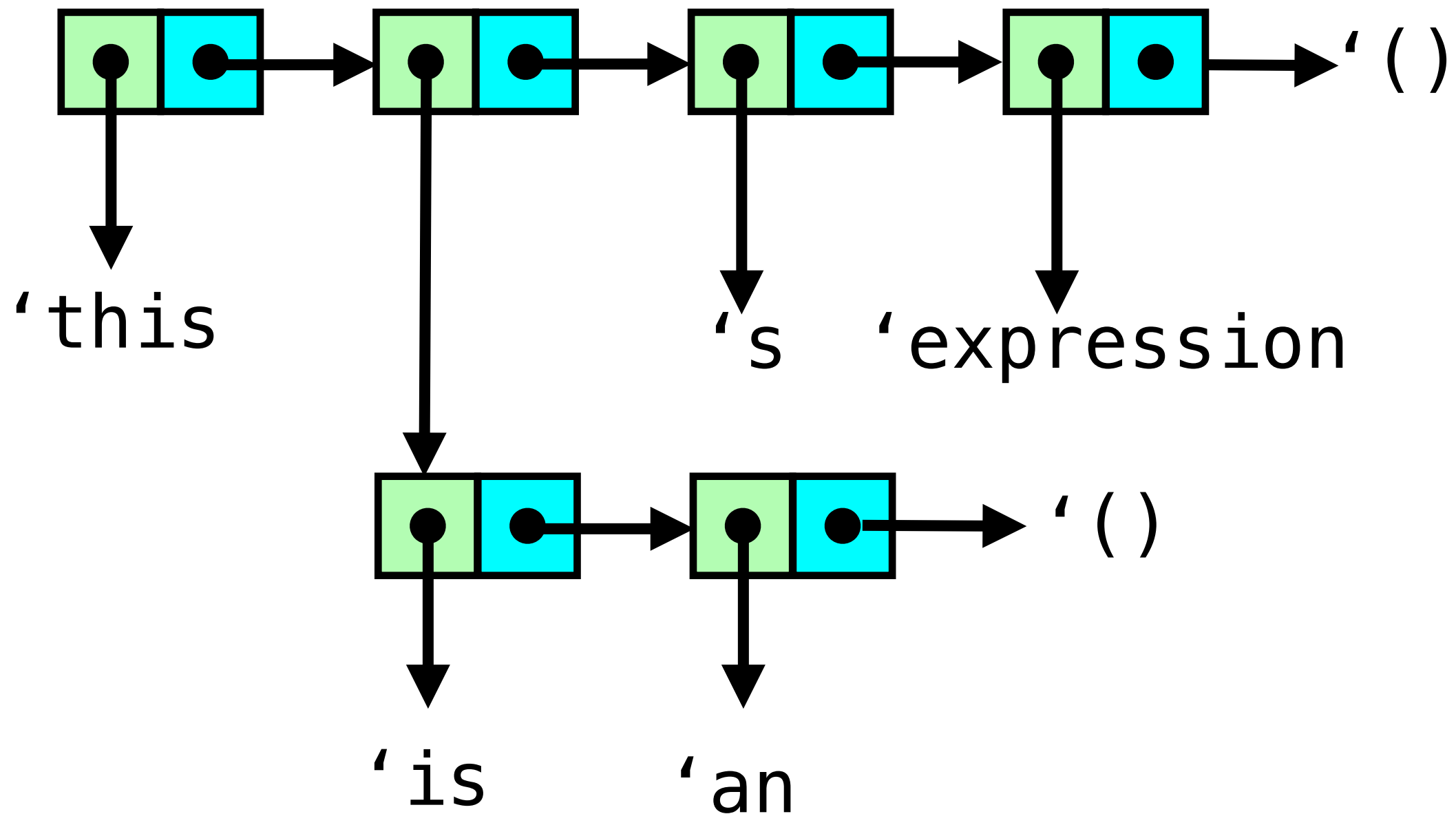
'(this (is an) s expression)

# Example

$((\lambda(x) (x x))$   
 $(\lambda(x) (x x)))$

Also can build **compound** expressions

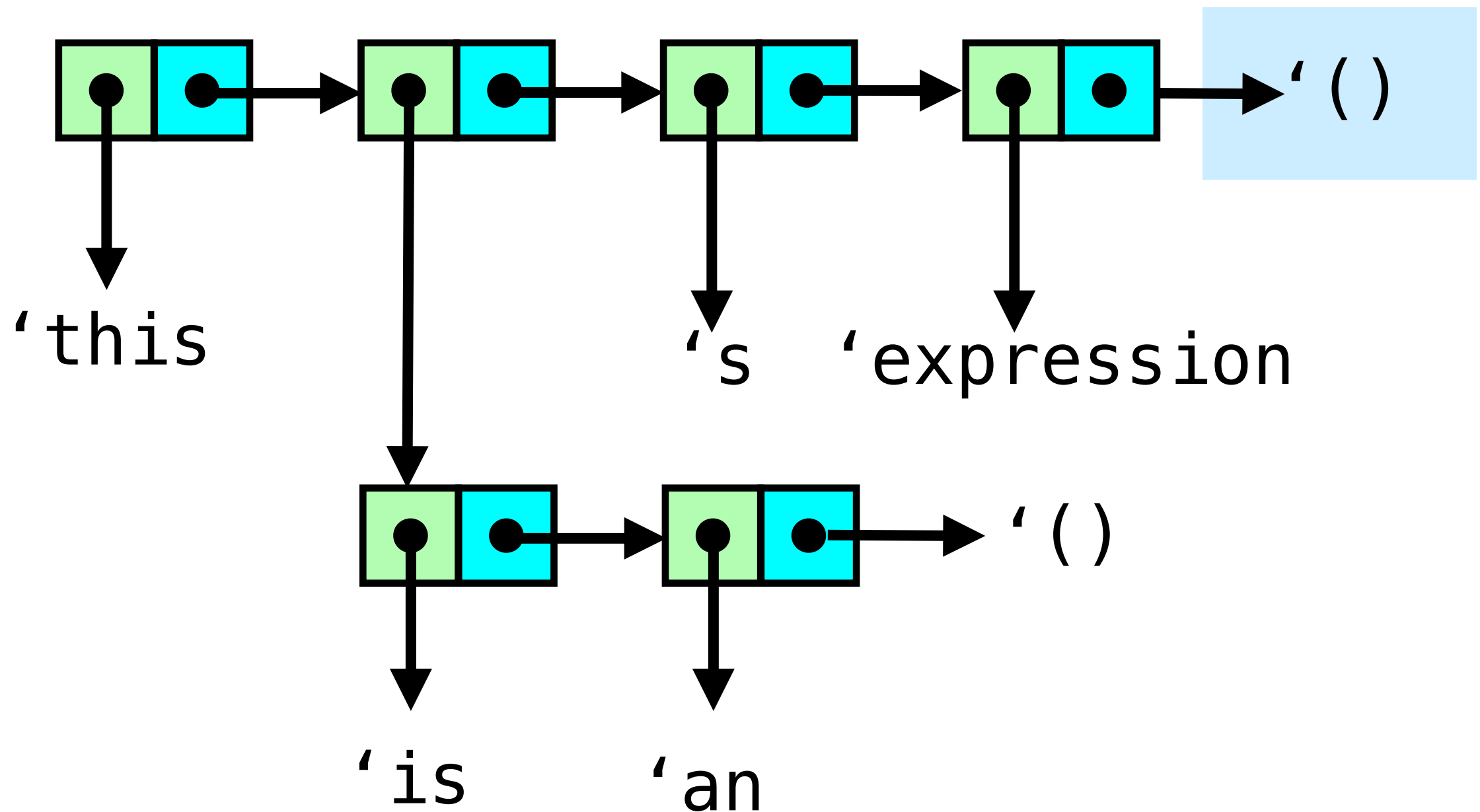
'(this (is an) s expression)



# Example

$((\lambda(x) (x x))$   
 $(\lambda(x) (x x)))$

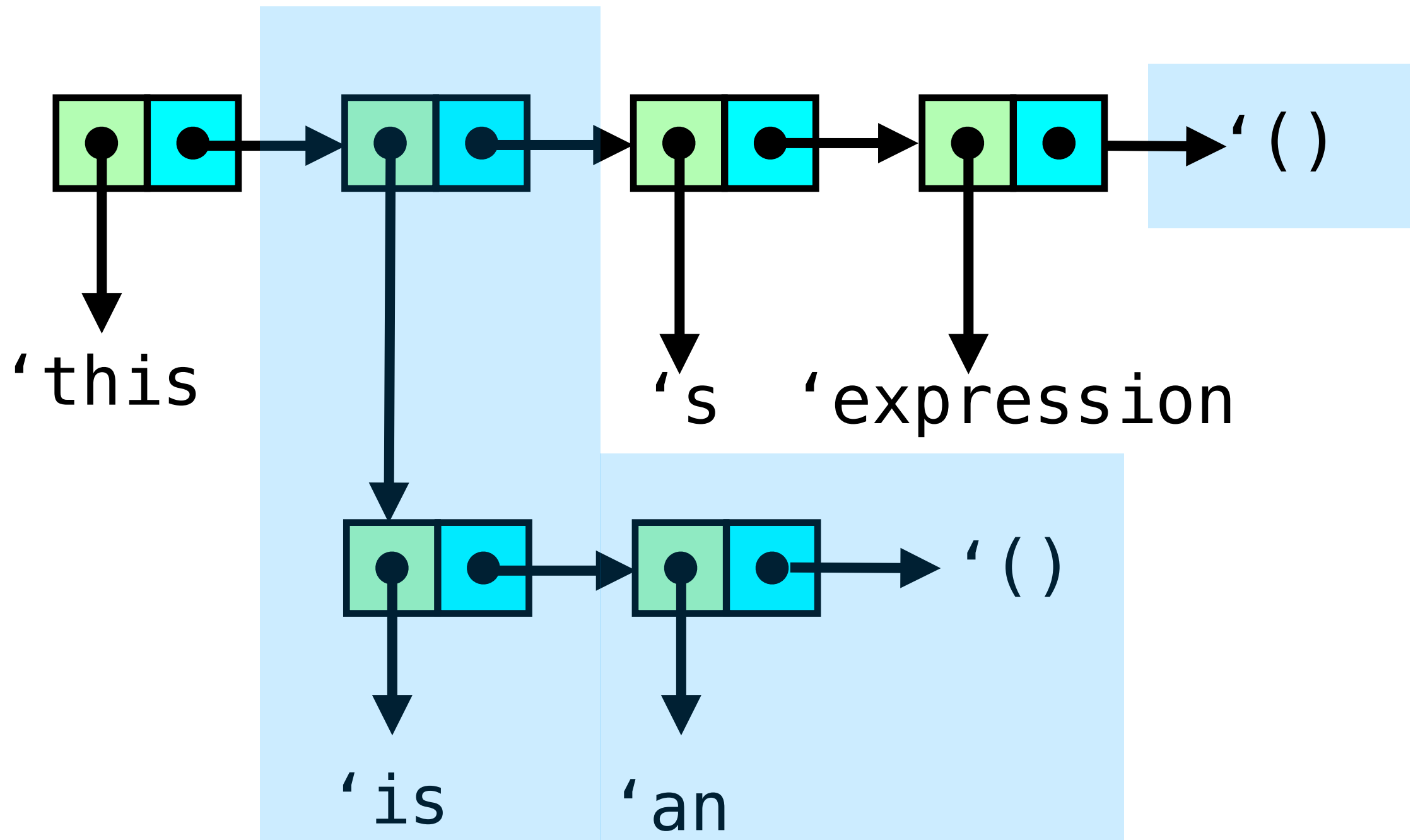
Empty list



## Example

$$\left( \begin{pmatrix} \lambda(x) & (x \ x) \end{pmatrix} \right)$$

Note link to compound subexpression





## Exercise



Draw the cons diagram for the following...

- `(cons 0 (cons 3 4))`
- Is this a list? If not, what is it?
- `(cons 0 (cons 3 (cons 4 '())))`
- Is this a list? If not, what is it?

# Exercise



Draw the cons diagram for the following...

- `(cons 0 (cons 3 4))` — **Drawn on board**
- Is this a list? If not, what is it?
- **No, not a list, but an improper list, no empty list at end**
- `(cons 0 (cons 3 (cons 4 '())))` — **Drawn on board**
- Is this a list? If not, what is it?
- **Yes, this is a list**

# Binding and identifiers

- Identifiers refer to their most proximate syntactic binding
  - I.e., Racket is **statically scoped**; more later...
- Can create local bindings with the `let` form:
  - `(let ([x 0] [y 1]) body)` (square brackets are the same as parens)  
x is bound to 0, y to 1, in body
  - Note that y cannot reference x! Otherwise you want "sequential let", the `let*` form
  - `(let ([x 23] [y (* 2 x)] (+ y 2)))` undefined variable x!



What is the value of the following expression?

```
(let ([a 1]
      [b 2])
  (let ([b 3]
        [c 4])
    (+ a b c)))
```



What is the value of the following expression?

```
(let ([a 1]
      [b 2])
  (let ([b 3]
        [c 4])
    (+ a b c)))
```

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The second definition of *b* **shadows** the first *b*. At the point where *+* is invoked on three values, *b* is bound most proximately to 3.



What is the value of the following expression?

```
(let ([a 1]
      [b 2])
  (let ([b 3]
        [c (+ a b)]))
    c))
```



What is the value of the following expression?

```
(let ([a 1]
      [b 2])
  (let ([b 3]
        [c (+ a b)]))
    c))
```

Although the second definition of *b* *shadows* the first *b*,  
when defining *c*, the value of *b* is still 2!

The new binding only takes effect in the body of the *let* form.



Use `let*` to evaluate the following mathematical expression (without simplifying it), where  $x$  is 4:

$$\left( (x * 2) + (x * 2) + (x * 2) \right)^2$$





Use `let*` to evaluate the following mathematical expression (without simplifying it), where  $x$  is 4:

$$\left( (x * 2) + (x * 2) + (x * 2) \right)^2$$

```
(let* ([x 4]
      [y (* x 2)]
      [z (+ y y y)])
  (* z z))
```



What does the following code compute?

```
(define (foo x) 1)

(let* ([f foo]
       [f (f 2)])
  (* f (let ([f 3])
        (+ f (foo f)))))
```



What does the following code compute?

```
(define (foo x) 1)

(let* ([f foo]
       [f (f 2)])
  (* f (let ([f 3])
        (+ f (foo f)))))
```

4

## Exercise



For each variable use within the following code, identify the variable's proximate binder

```
(define (foo x) 1)
```

```
(let* ([f foo]
      [f (f 2)])
  (* f (let ([f 3])
        (+ f (foo f)))))
```

## Exercise



For each variable use within the following code, identify the variable's proximate binder

```
(define (foo x) 1)

(let* ([f foo]
      [f (f 2)])
  (* f (let ([f 3])
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```